6.4-6.5 Parallelograms Review

Properties of Parallelograms:

- both pairs of opposite sides are parallel
- both pairs of apposite sides are
- both pairs or opposite angles are =.
- diagonals bisect eachother

Properties of Rectangles:	Properties of squares:	Properties of a rhombus:
	tes of Parallelog	rams -
-has 4 right 2 s	- Both a cect s	l- 4 ≘sides
- has 4 = 2's	rhombus	-> equilateral
- Leavile and -	- regular guad.	-diagonals are 1
-diagonals are	-A11 <18=	-diagonals bisect
5	- All sides =	- diagonal s bisect each pair of opposite
	I	23.

Given: EFRS is a quadrilateral.

Prove: EFRS is a square.

-All propernes

of a parallelogram -- Both a rect thombus

- regulae quad

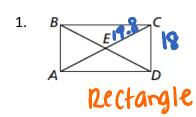
Given: EFRS is a parallelogram.

Prove: EFRS is a square.

To prove that a quad is a rect:

→ 4 right <'s (or all <'s \(\sigma \) To prove That a parallelogram is a rect: it has at least one right <.

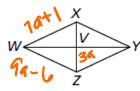
QR Code Challenge:



Rhombus



2.



$$w7 = 9a - 6 = 79 + 1$$
 $2a = 7$
 $a = 7/2$
 $a = 3.5$

9(3.5)-6= 25.5

XZ= 10.5+10.5=21

distance formula to diagonals are 4. (-2,2)

3. pg. 423 #28

1. EFGH is 口. EG空开 1. Given

2. EF = H6 2. □ → Opp. sides =-

3. EH=EH 3. Reflex Prop. of =

4. DEFH = OHGE 4. SSS

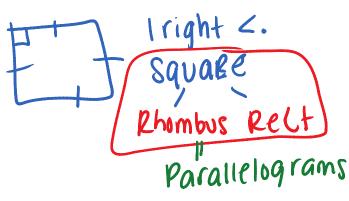
S. ZFEH = ZGHE S. CPCTC

6. CFEH & ZGHE are 6. 1 -> CONSEC. L'S alle 5

7. LFEH JEGHE are 7. = 2 Supp > rt 2's

8. EFGH is a rectangle 8. [w/ 1r+ <-> rect

5. # 15 Pg. 423.

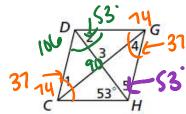


6. PINSULES MAY Vary -) Find Parrallel.

(4,4) 2

Name:

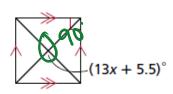
7. Find the measures of the numbered angles in the rhombus CDGH.

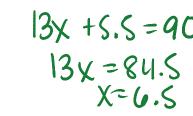


$$53+53=106$$

$$-104 \frac{166}{2} =$$

8. Find the value for x that makes this parallelogram a square.



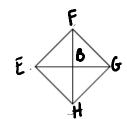




For 9-10, Determine if each conclusion is valid. Explain in full detail why it is or is not valid.

9. Given: $\overline{EF}\cong \overline{FG}, \overline{EG}$ is perpendicular to \overline{FH}

Conclusion: *EFGH* is a rhombus.

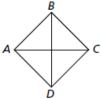


NOT valid. You must

first know that EFFH is a parallelogram.

10. Given: <ABC is a right angle.

Prove: ABCD is a rectangle.



If one c is a right z,

Then rect., but you need

to know that this is a parallelogram.